Towards Creating a New Cybersecurity Game Theory:

Gaps and Potential Bridges

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Why Game Theory For Cybersecurity?

Problem: Cybersecurity is often done *ad hoc* (i.e., Art) and needs more disciplined solutions (i.e., Science)!

Game Theory is a field of mathematics studying rigorous models of interacting decision makers.

Consider an example:

Attack Successful Attack Defended Monitor Nothing Nothing Happens





Advanced Persistent Threats



Advanced Persistent Threats





Advanced Persistent Threats





Cyber Threat Intelligence Sharing



Advanced Persistent Threats





Ad Hoc Networks



Advanced Persistent Threats





Our Research



Our Research



Q:What is the current state of research?

Models: The Nash Equilibrium



A Nash Equilibrium is a joint selection of actions such that no agent can unilaterally improve their utility

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systems

Cyberthreat Intelligence
 Sharing

Attacker strikes with probability 0.2! Defender monitors with probability 0.83!

Models: The Nash Equilibrium



A Nash Equilibrium is a joint selection of actions such that no agent can

unilaterally improve their utility



Models: The Stackelberg Equilibrium



Assumption: Defender acts first

A **Stackelberg Equilibrium** is a joint selection of actions by a leader and a follower such that no agent can unilaterally improve their utility



Applications

- Moving Target
 Defense
- Intrusion detection systems

Models: The Stackelberg Equilibrium



Assumption: Defender acts first

A **Stackelberg Equilibrium** is a joint selection of actions by a leader and a follower such that no agent can unilaterally improve their utility



Defender will always monitor, attacker will never attack!

Models: FlipIt

- Attacker and defender fight for control of a system
- At any time either party may seize control
- Neither know who is currently in control

| Attacker Control | | Applications |
|------------------|---|--------------------|
| Defender Control | • | Advanced |
| | | Persistent Threats |
| Time | • | Zero Day Exploits |
| | | |

Q: When should both parties act?

Models: The Bayesian Game

- Agents are unsure of each others' identity
- Each agent maintains a probabilistic belief about other's identities



Applications

Advanced

Persistent Threats

Moving Target

Defense

Q: What is the best course of action given dynamic belief updates?

Our Framework

- Models assumptions often implicit
- What information agents have to base decisions on is critical

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Our three-level framework

 $\mathcal{N}, \mathcal{A}, \mathcal{U}, \mathcal{T}, \mathcal{H}$

Possible Situations

"What capabilities could they have"

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"How many attackers could there be"
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"How many attackers N are there"

N, A, U, T, HThe Current Situation

"What capabilities do they have"

a, u, t, h**Current Event**

"What are they doing right now"

 \boldsymbol{U}

| , | N | Α | U | Т | н |
|------|--------|---------|---------|------|---------|
| Key: | agents | actions | utility | time | history |

| paper | Model | a | $s \cup h$ | Α | Ν | u_i | u_{-i} | U | Т | finite A | continuous A | Mixed A | 2-Player | One-shot T | Discrete T | Continious T | Sequential R | Simultaneous <i>H</i> | Multiple models |
|-------|-------------|----------------|------------------|---------------------|-----|-------|--------------------|-----|-----|--------------|----------------|--------------|--------------|--------------|--------------|----------------|----------------|-----------------------|-----------------|
| IDS | | | | | | | | | | | | | | | | | | | |
| [1] | normal | ×,× | \times, \times | √ ,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | × |
| [2] | normal | √,√ | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | × | × | × | \checkmark | \checkmark |
| [3] | stochastic | √,√ | √,√ | √,√ | √,√ | √,√ | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | \times | × | \times | × | \checkmark | × | × | \checkmark | \checkmark |
| [4] | differenial | ×,× | \times, \times | √ , √ | √,√ | √,√ | $^{\times,\times}$ | ⊘,⊘ | √,√ | \checkmark | × | \checkmark | \checkmark | × | × | \checkmark | × | \checkmark | \times |
| [5] | bayesian | ×,× | √,√ | √,√ | √,√ | √,√ | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | × | > | \checkmark | × | \checkmark | × | × | \checkmark | × |
| [6] | coalition | √,√ | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | × | × | × | \checkmark | × | × | \checkmark | \checkmark |
| [7] | normal | √,√ | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | \times | > | \times | × | \checkmark | × | × | \checkmark | × |
| [8] | auction | √,√ | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | √,√ | \checkmark | × | \checkmark | × | × | \checkmark | × | × | \checkmark | \checkmark |
| [9] | bayesian | ×,× | √,√ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [10] | bayesian | ×,× | √,√ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | > | \checkmark | × | \checkmark | × | × | × | \checkmark |
| [11] | normal | ×,× | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | \times | > | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [12] | extensive | \sim, \times | \times, \times | √,√ | √,√ | √,√ | \times, \times | ⊘,⊘ | ×,× | \checkmark | \times | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [13] | stackelberg | \sim, \times | \times, \times | √,√ | √,√ | √,√ | ×,× | ×,× | √,√ | \checkmark | × | \checkmark | \checkmark | \checkmark | \checkmark | × | \checkmark | × | \checkmark |
| [14] | normal | \sim, \times | \times, \times | √,√ | √,√ | √,√ | ×,× | ×,× | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | \checkmark | × | \checkmark |
| [15] | normal | ×,× | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | × | \checkmark | \checkmark | × | × | \checkmark | \checkmark |

Observations

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| papo | er | Moder | a | $s \cup h$ | A | Ν | u_i | u_{-i} | U | Т | finite A | continuous A | Mixed A | 2-Player | One-shot T | Discrete T | Continious T | Sequential R | Simultaneous <i>H</i> | Multiple models |
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| [1] | | normal | \times, \times | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | \times | \checkmark | \times |
| [2] | | normal | √,√ | \times, \times | √,√ | √ , √ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | × | × | \times | \checkmark | \checkmark |
| [3] | | stochastic | √,√ | √ , √ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | × | × | × | \checkmark | × | \times | \checkmark | \checkmark |
| [4] | | differenial | \times, \times | \times, \times | √,√ | √,√ | √,√ | $^{\times,\times}$ | ⊘,⊘ | √,√ | \checkmark | \times | \checkmark | \checkmark | × | × | \checkmark | \times | \checkmark | \times |
| [5] | | bayesian | \times, \times | √ , √ | √,√ | √,√ | √,√ | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | \times | \checkmark | \checkmark | × | \checkmark | × | \times | \checkmark | \times |
| [6] | | coalition | ∕,√ | \times, \times | √,√ | √,√ | √,√ | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | × | \times | × | × | \checkmark | × | \times | \checkmark | \checkmark |
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| [8] | | auction | ∕,√ | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | √,√ | \checkmark | × | \checkmark | × | × | \checkmark | × | \times | \checkmark | \checkmark |
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| [12 | | extensive | \sim, \times | \times, \times | √,√ | √,√ | √,√ | \times, \times | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [13] | | stackelberg | \sim, \times | \times, \times | √,√ | √,√ | √,√ | ×,× | ×,× | √,√ | \checkmark | × | < | \checkmark | < | \checkmark | × | \checkmark | × | \checkmark |
| [14] | | normal | \sim, \times | \times, \times | √,√ | √,√ | √,√ | ×,× | ×,× | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | \checkmark | × | \checkmark |
| [15] | | normal | ×,× | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | × | \checkmark | \checkmark | × | × | \checkmark | \checkmark |

Observations

- Every green checkmark information are assumed to know
- Handful of Game Theoretic Models
- Limited efforts to push them for the needs of cyber security

| paper | Model | a | $s \cup$ | | Α | Ν | | i | u_{-i} | U | Т | inite A | continuous A | Mixed A | -Player | Dne-shot T | Discrete T | Continious T | equential R | Simultaneous R | Aultiple models |
|-------|-------------|--------------------|--------------------|-----|---------------------|---------------------|----------|--------------|--------------------|-----------------------|--------------------|--------------|----------------|--------------|--------------|--------------|--------------|----------------|--------------|----------------|------------------------|
| IDS | | | | ┢ | | | | | | | | | | | 0 | <u> </u> | | <u> </u> | | | |
| [1] | normal | \times, \times | ×,: | | √,√ | √,√ | ~ | ,√ | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \times |
| [2] | normal | √,√ | ×, | ζ | √,√ | √,√ | ~ | \checkmark | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | × | × | × | \checkmark | \checkmark |
| [3] | stochastic | √,√ | √ , | (| √,√ | √,√ | v | \checkmark | \times, \times | ⊘,⊘ | $^{\times,\times}$ | \checkmark | \times | \times | × | \times | \checkmark | × | × | \checkmark | \checkmark |
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| [5] | bayesian | ×,× | , √ | (| √,√ | √,√ | ~ | \checkmark | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | × |
| [6] | coalition | √,√ | ×, | ĸ | √,√ | √,√ | v | \checkmark | $^{\times,\times}$ | ⊘,⊘ | ×,× | \checkmark | × | × | × | × | \checkmark | × | × | \checkmark | \checkmark |
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| [8] | auction | √,√ | ×, | K - | √,√ | √,√ | v | \checkmark | $^{\times,\times}$ | ⊘,⊘ | √,√ | \checkmark | × | \checkmark | × | × | \checkmark | × | × | \checkmark | \checkmark |
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| [11] | normal | ×,× | ×,> | | √,√ | √,√ | | ,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [12] | extensive | \sim, \times | $ \times, \rangle$ | × | √ , √ | √,√ | | ∕,√ | \times, \times | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [13] | stackelberg | \sim, \times | $\times,$ | × | √,√ | √,√ | V | ∕,√ | $^{\times,\times}$ | ×,× | √,√ | \checkmark | × | \checkmark | \checkmark | \checkmark | \checkmark | × | \checkmark | × | \checkmark |
| [14] | normal | \sim, \times | $\times,$ | × | √,√ | √,√ | V | ∕,√ | ×,× | ×,× | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | \checkmark | × | \checkmark |
| [15] | normal | \times, \times | ×,> | × | ∕,√ | √ , √ | v | ∕,√ | \times, \times | \oslash , \oslash | $^{\times,\times}$ | \checkmark | \times | \checkmark | × | \checkmark | \checkmark | × | × | \checkmark | \checkmark |

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| 1D5 | n o ma o 1 | | | | | | | 00 | | | ~ | _ | | | | | ~ | | |
| | normal | ×,× | ×,× | √ , √ | √ , √ | √ , √ | ×,× | 0,0 | ×,× | ✓ | × | ✓ | ✓ | × | v | × | × | ✓ | × |
| [2] | normal | √,√ | \times, \times | √ , √ | √,√ | √,√ | \times, \times | ⊘,⊘ | $^{\times,\times}$ | \checkmark | \times | \checkmark | \checkmark | × | \times | \times | × | \checkmark | \checkmark |
| [3] | stochastic | √,√ | √,√ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | $^{\times,\times}$ | \checkmark | \times | × | \times | × | \checkmark | × | × | \checkmark | \checkmark |
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| [5] | bayesian | $^{\times,\times}$ | √,√ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | $^{\times,\times}$ | \checkmark | × | \checkmark | \checkmark | × | > | × | × | \checkmark | \times |
| [6] | coalition | √,√ | $^{\times,\times}$ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | \times, \times | \checkmark | × | × | × | × | < | × | × | \checkmark | \checkmark |
| [7] | normal | √,√ | $^{\times,\times}$ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | $^{\times,\times}$ | \checkmark | × | \checkmark | × | × | \checkmark | × | × | \checkmark | \times |
| [8] | auction | √,√ | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | √,√ | \checkmark | × | \checkmark | \times | × | \checkmark | × | × | \checkmark | \checkmark |
| [9] | bayesian | ×,× | √,√ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
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| [11] | normal | ×,× | $^{\times,\times}$ | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [12] | extensive | \sim, \times | \times, \times | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | \checkmark | × | \checkmark | × | × | \checkmark | \checkmark |
| [13] | stackelberg | \sim, \times | \times, \times | √,√ | √,√ | √,√ | $^{\times,\times}$ | $^{\times,\times}$ | √,√ | \checkmark | × | \checkmark | \checkmark | \checkmark | \checkmark | × | \checkmark | × | \checkmark |
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| [15] | normal | ×,× | ×,× | √,√ | √,√ | √,√ | ×,× | ⊘,⊘ | ×,× | \checkmark | × | \checkmark | × | \checkmark | \checkmark | × | × | \checkmark | \checkmark |

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 Theoretic Models
- Limited efforts to push them for the needs of cyber security
- Universally assumes agents have precise knowledge of game model
- Many works only consider 2-agent situation

Metrics

- Agents must measure every green checkmark somehow
- Ad Hoc metrics must go!

Common Vulnerability Scoring System (CVSS)

- Assigns numeric score to real world exploits describing their severity and ease of use
- Experts use guidelines to qualitatively classify exploits
- CVSS scores leveraged in game theoretics models to understand decision making in the presence of classified exploits!



Conclusion

- Models handle uncertainty in a very limited ways
- Focus on a handful of very well-established models
- Limited work to develop new or push existing models the needs of cybersecurity
- Limited use of metrics to measure needed information

Need to develop new models explicitly for cybersecurity application!

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